

Constraining new physics through the $t\bar{t}$ spin density matrix

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t̄t spin density matrix

- The matrix element of t̄t production in partonic CoM frame is:

$$|\mathcal{M}|^2 \propto A + \mathbf{B}^+ \cdot \mathbf{s}_1 + \mathbf{B}^- \cdot \mathbf{s}_2 + C_{ij} s_{1i} s_{2j} \quad (1)$$

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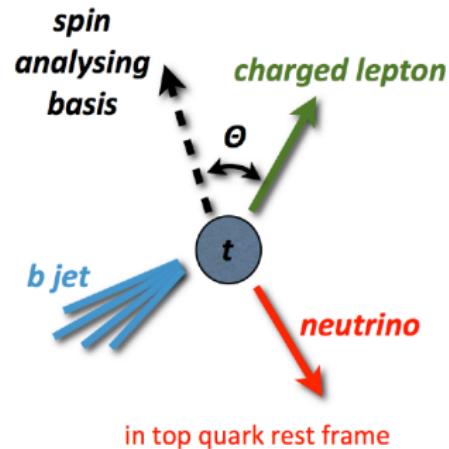
- Determines cross section
- Spin-independent distributions
- $m_{t\bar{t}}, \rho_T^t \dots$

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- B^\pm related to $t(\bar{t})$ polarization
- 0 at SM LO, small at NLO
- Deviations $\rightarrow P, CP$ violations



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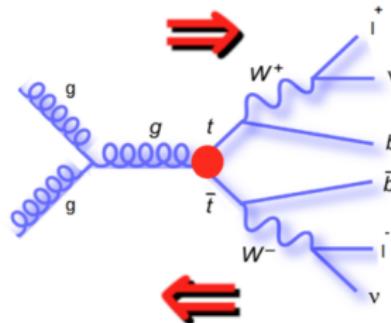
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- In SM: only P, CP even coefficients $\neq 0$
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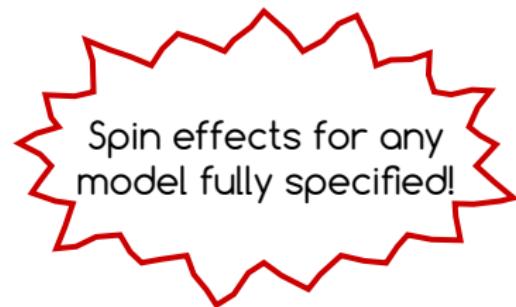
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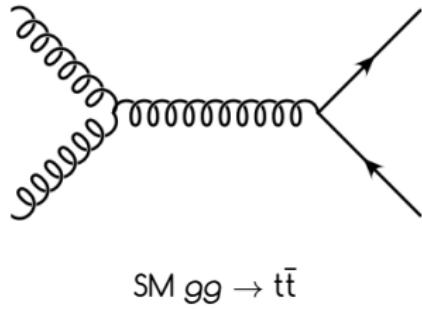
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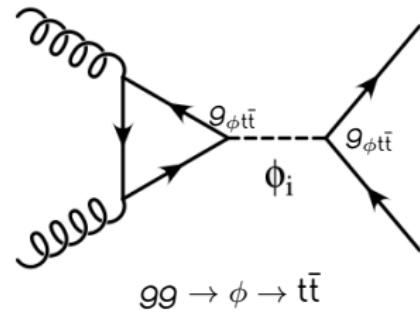


A case study: $\phi \rightarrow t\bar{t}$

- Search for resonant ϕ decaying to $t\bar{t}$ pure pseudo/scalar A/H
 - Interference with SM taken into account
 - Coupling between ϕ and top quark denoted with the letter $g_{\phi t\bar{t}}$



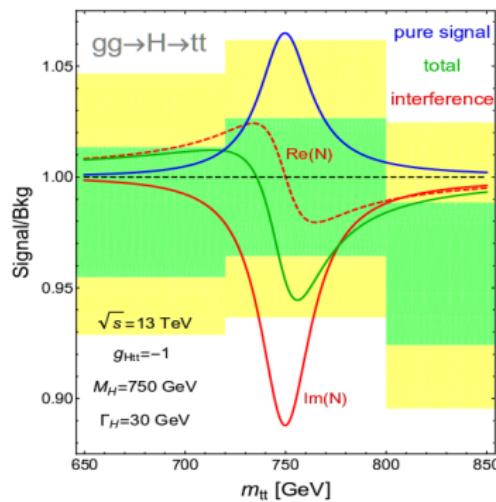
SM $gg \rightarrow t\bar{t}$



$gg \rightarrow \phi \rightarrow t\bar{t}$

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 - Interference with SM taken into account
 - Coupling between ϕ and top quark denoted with the letter $g_{\phi t\bar{t}}$
- Significant peak-dip structure in $m_{t\bar{t}}$ spectrum due to interference
 - No resonance peak in some cases
 - Exact structure depends on parity, m_ϕ and Γ_ϕ
- Search performed mainly through $m_{t\bar{t}}$ shape analysis
- Do we gain by looking also into spin correlation effects?
- Are there scenarios where we gain more from it?



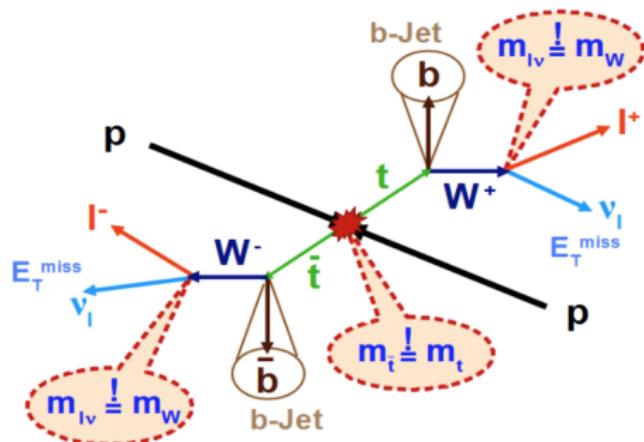
Plot from arXiv:1605.00542

Analysis strategy and event selection

- Search performed in the **dileptonic** channel
 - Both W bosons in top decays decay leptonically, with $\ell = e$ or μ
 - Used the 2016 single and dilepton CMS data totalling 35.9 fb^{-1}
- Generated signal points:
 - In 2D $[m_\phi, \Gamma_\phi]$ array talk focuses on 50% width case
 - $g_{\phi t\bar{t}}$ assumed to be 1
- Set limits on $g_{\phi t\bar{t}}$ through shape analysis
 - Not the conventional σ/σ_{th} due to different scaling of signal parts
- Baseline selection:
 - 2 opposite-sign **isolated leptons** with Z-veto in same-flavor channels
 - **≥ 2 jets**, at least 1 jet is b-tagged
 - Pass the kinematic reconstruction routine
- Shape and rate-affecting systematics are taken into account:
 - Experimental: jet energy scales, lepton identification, b-tagging...
 - Theoretical: ME scales, top mass, background cross sections...

$t\bar{t}$ kinematic reconstruction

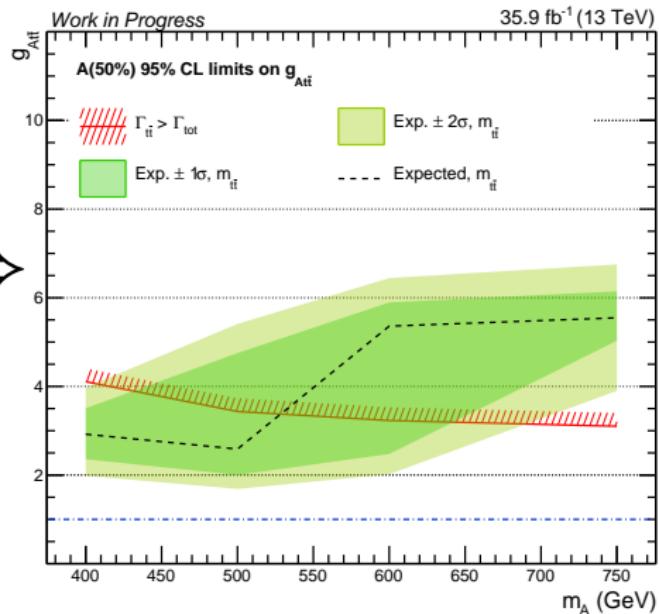
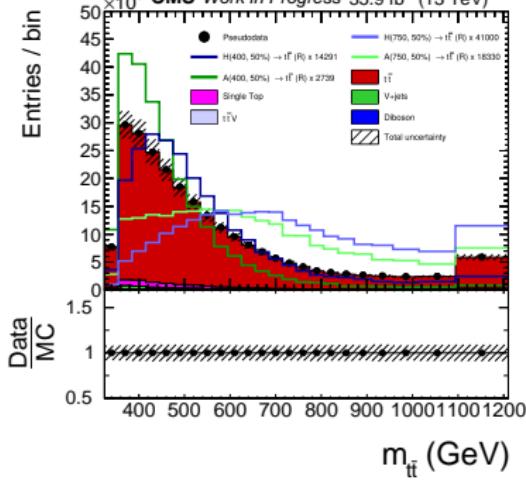
- Missing neutrinos in the event $\rightarrow t\bar{t}$ system is underconstrained
- Reconstruct the $t\bar{t}$ system with an analytical routine
(arXiv:hep-ph/0603011)
 - Impose constraints based on known top and W masses
 - Assume E_T is entirely due to the neutrinos
 - Resulting polynomial in p_t^ν solvable \rightarrow full $t\bar{t}$ system kinematics
- Increase efficiency by solving for all lepton-jet combinations
- Account for detector effects by random object smearings
- Procedure described in detail in CMS-PAS-TOP-16-011



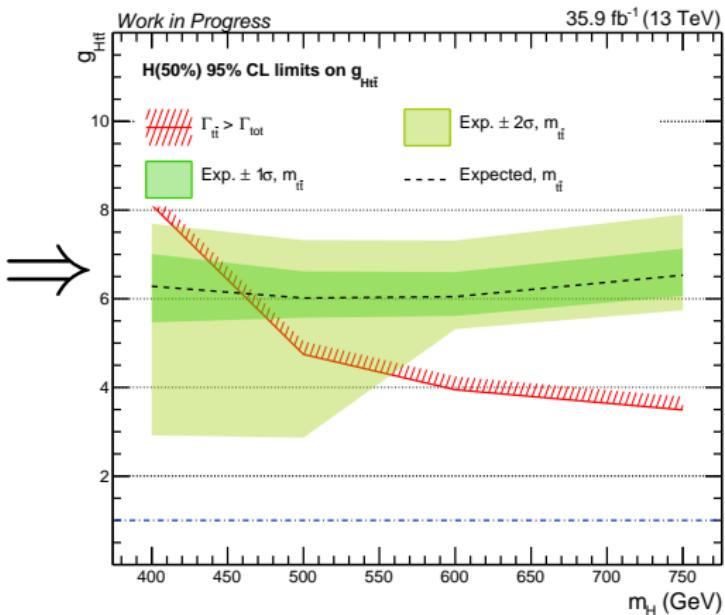
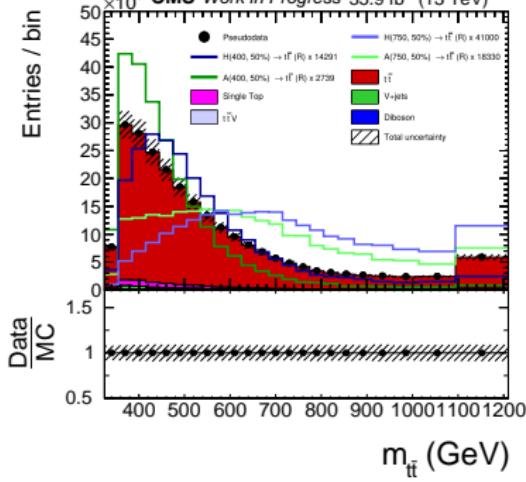
Limits on $g_{\phi t\bar{t}}$ with $m_{t\bar{t}}$

- Now let's look at the expected results, first obtained with $m_{t\bar{t}}$

A(50%) limits on $g_{\phi t\bar{t}}$ with $m_{t\bar{t}}$



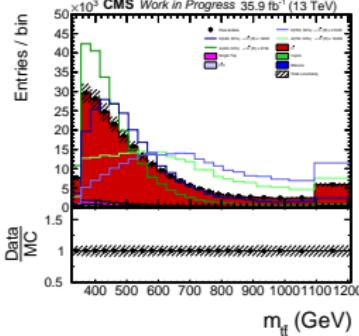
$H(50\%)$ limits on $g_{\phi t\bar{t}}$ with $m_{t\bar{t}}$



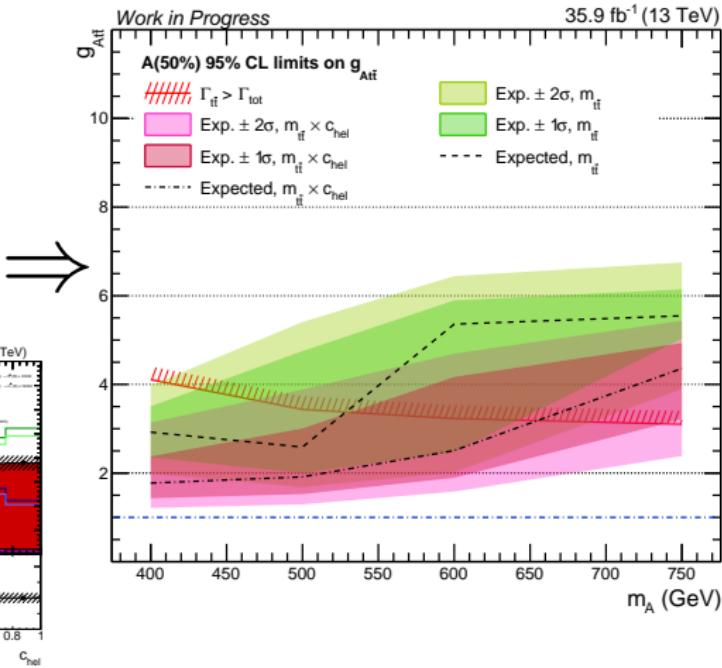
Limits on $g_{\phi t\bar{t}}$ with $m_{t\bar{t}} \times c_{hel}$

- What do we gain by adding a spin correlation observable?
- Which one to use? There are a lot of them...
- c_{hel} : opening angle between the leptons in the $t\bar{t}$ helicity frame
 - Theoretically simple: $\langle c_{hel} \rangle = -\frac{1}{3}[C_{kk} + C_{rr} + C_{nn}]$
 - Experimentally tricky: kinematic reconstruction, jets, E_T resolution...
- $\Delta\phi_{lab}$: azimuthal separation between the leptons in lab frame
 - Experimentally clean: leptons very well measured at high efficiency
 - Theoretically complex: interplay between A and C_{ij} highly non-trivial

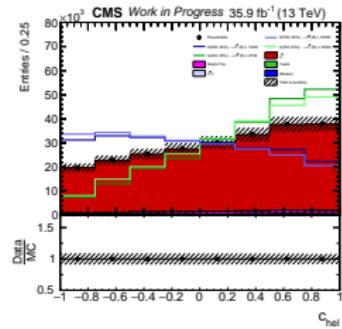
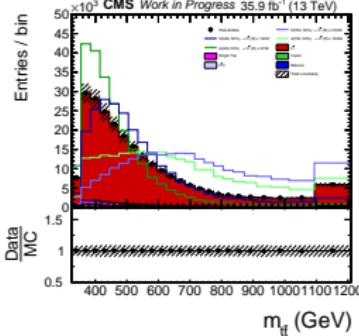
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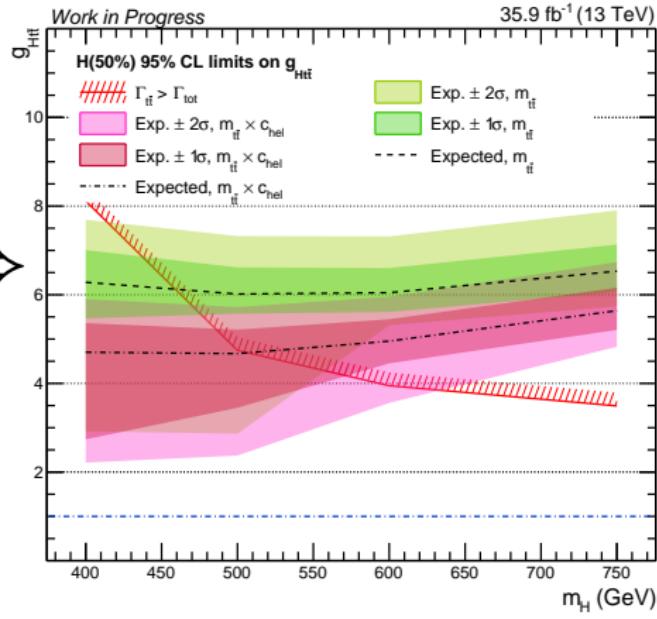
Clear improvement compared to using $m_{t\bar{t}}$ alone



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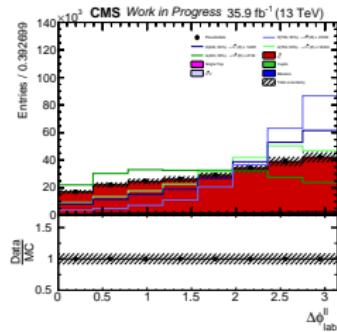
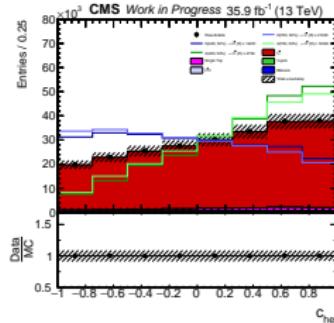
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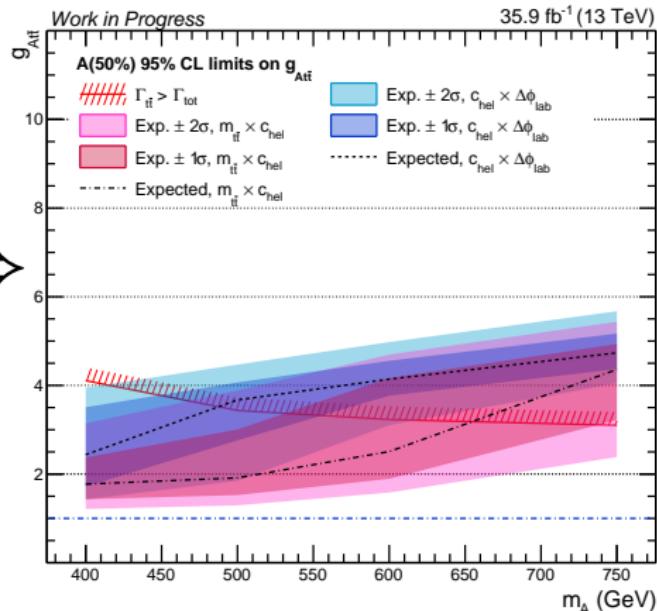
Limits on $g_{\phi t\bar{t}}$ with $c_{hel} \times \Delta\phi_{lab}$

- Are results with pure angles competitive?

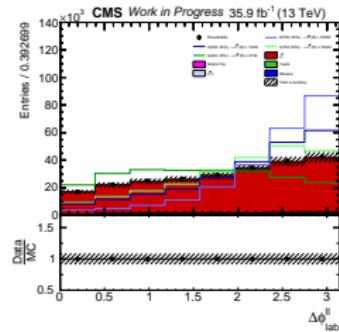
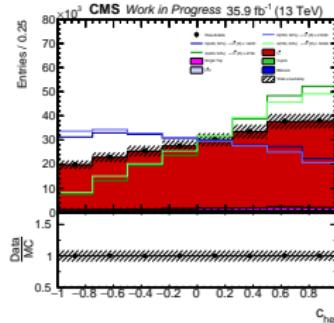
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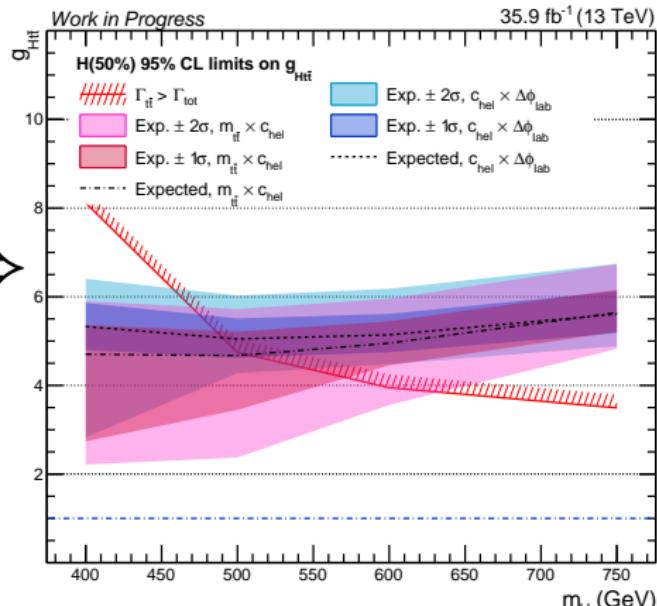
Competitive results especially towards higher m_ϕ



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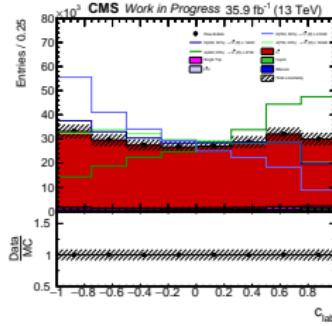
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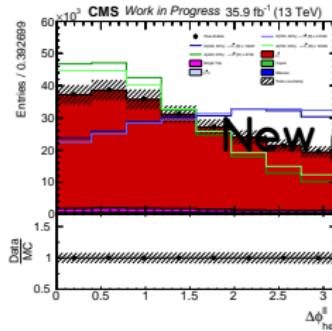
Afterword

- The $t\bar{t}$ spin density matrix provides additional handles with which new physics can be constrained
- Case study showed that these can be as competitive as results obtained through A e. g. $m_{t\bar{t}}$
- Expect these to be even more powerful in constraining more subtle new physics effects:
 - i. e. cases with anomalous couplings instead of new particles
 - Commonly considered e. g. in the EFT approach to BSM extensions

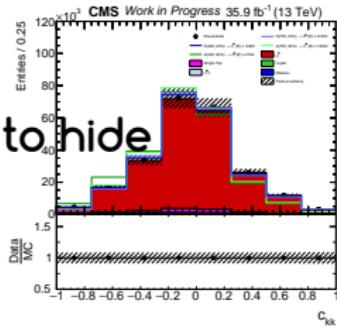
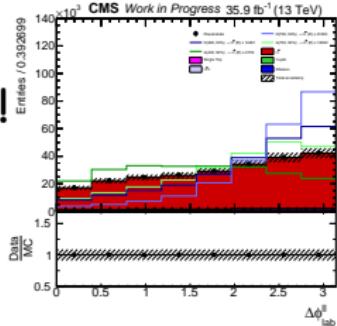
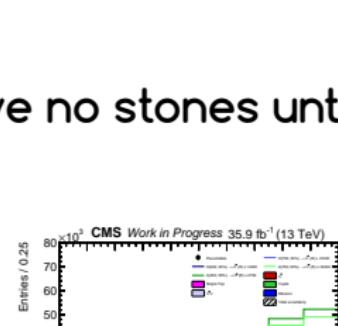
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Leave no stones unturned!



New physics shall have nowhere to hide



Backup slides